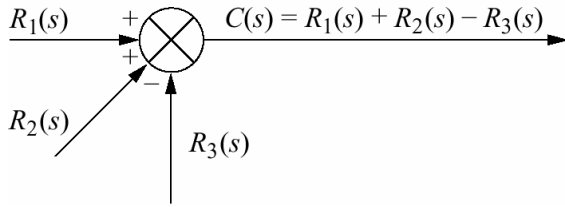


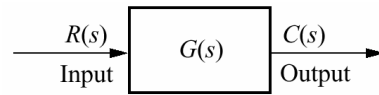
Blok Diyagramlar



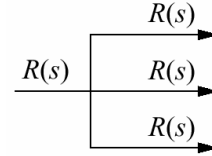
Sinyaller



Toplama işlemi gösterimi

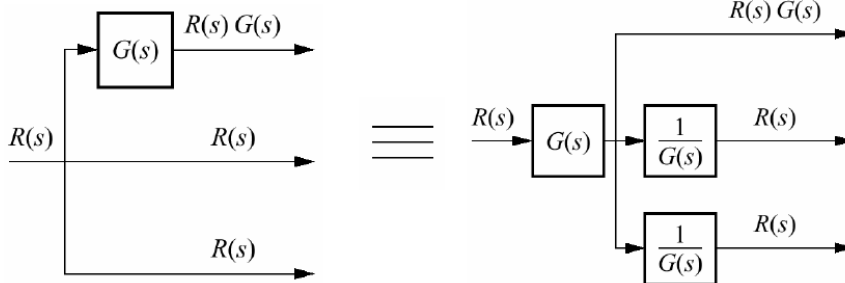
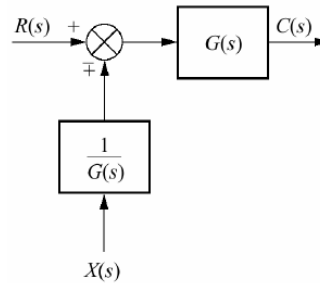
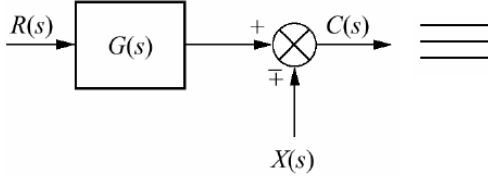
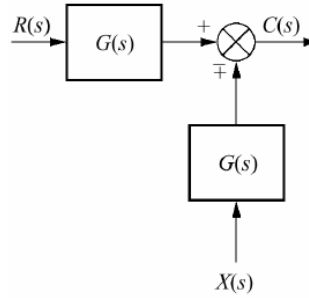
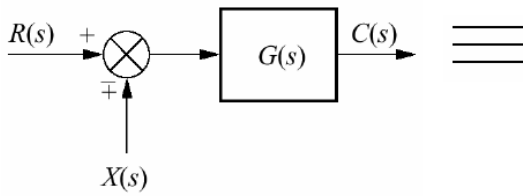


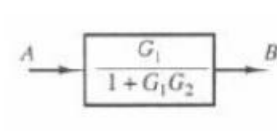
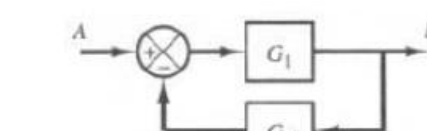
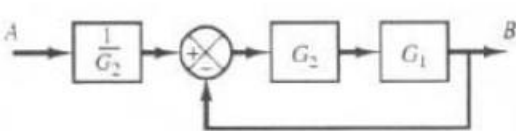
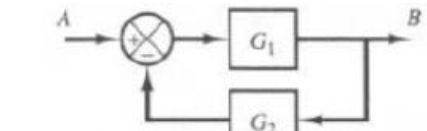
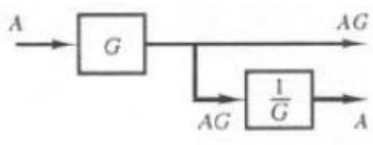
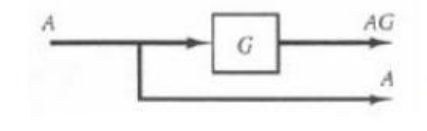
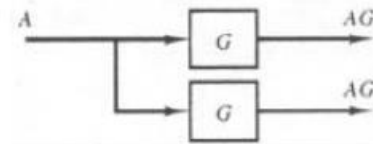
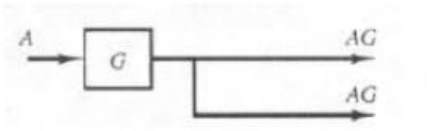
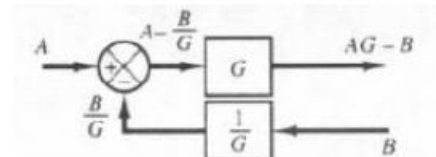
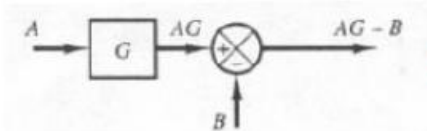
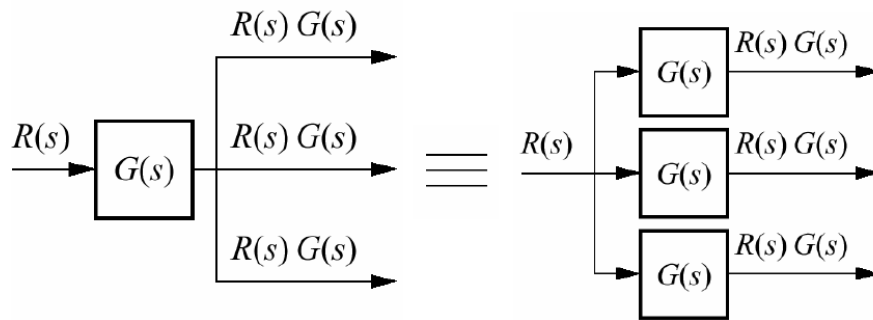
$G(s)$ transfer fonksiyonuna ait bir giriş bir çıkışı olan sistemin blok gösterimi



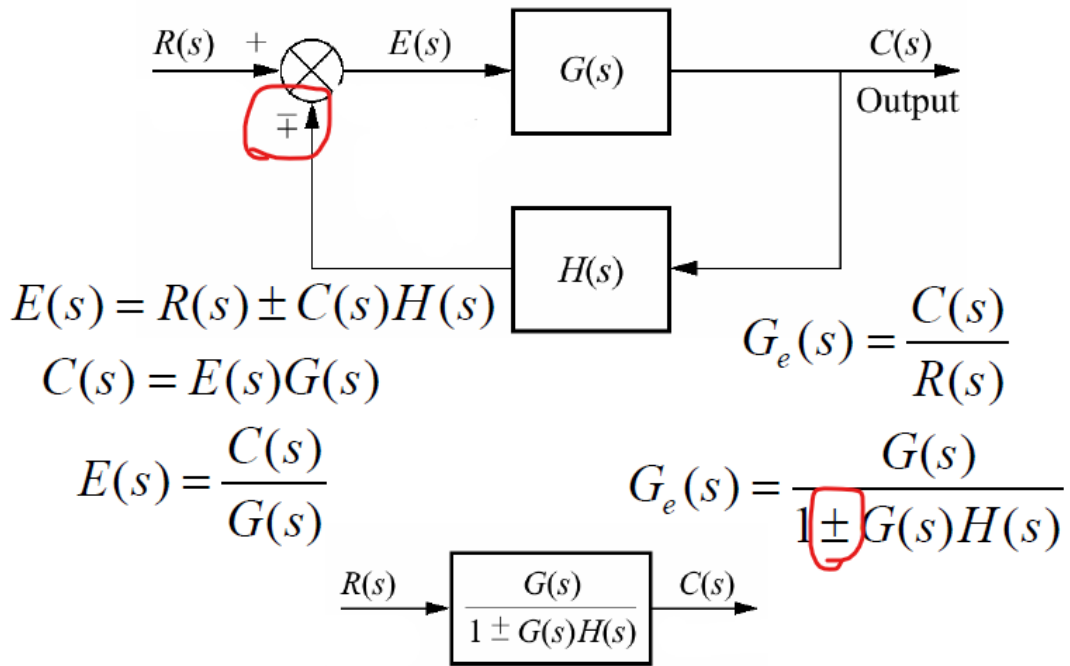
Sinyali birden fazla kullanma

Denk Gösterimler



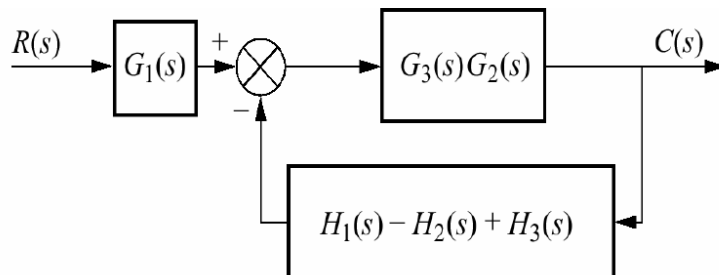
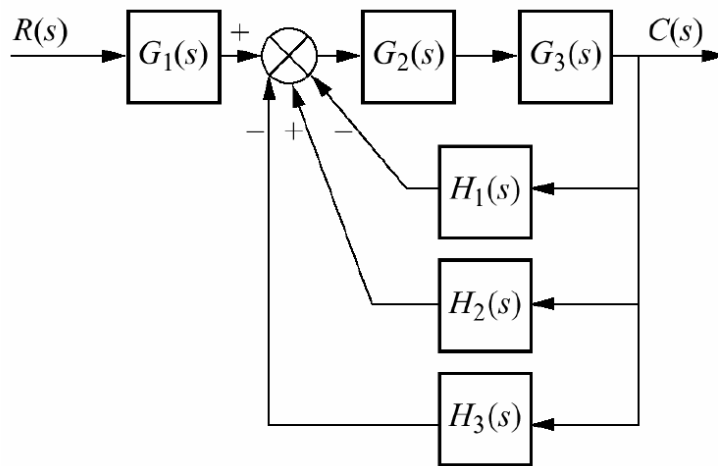
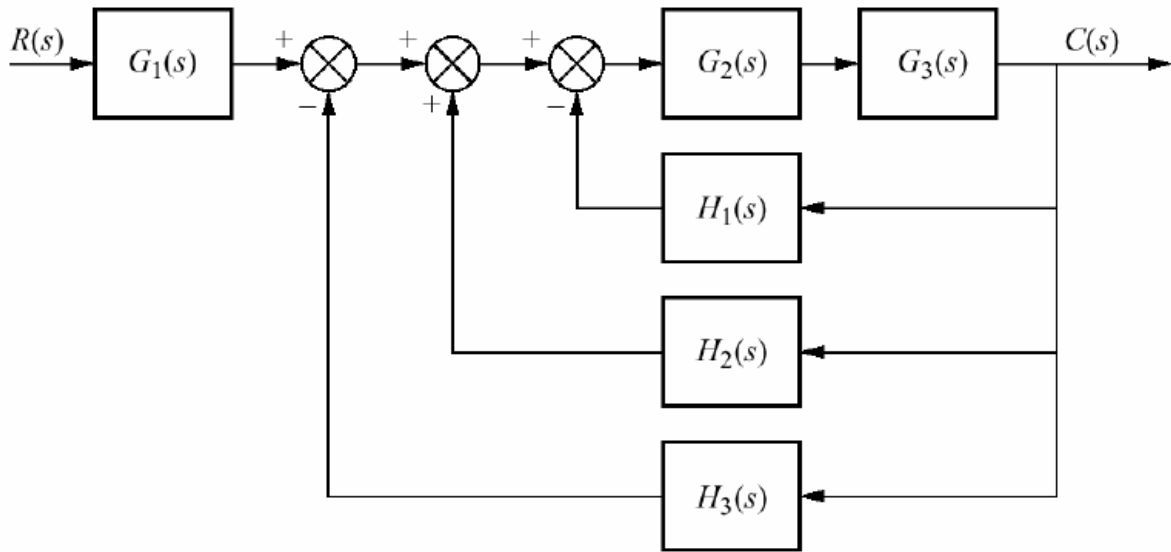


Genel geri beslemeli sistem gösterimi



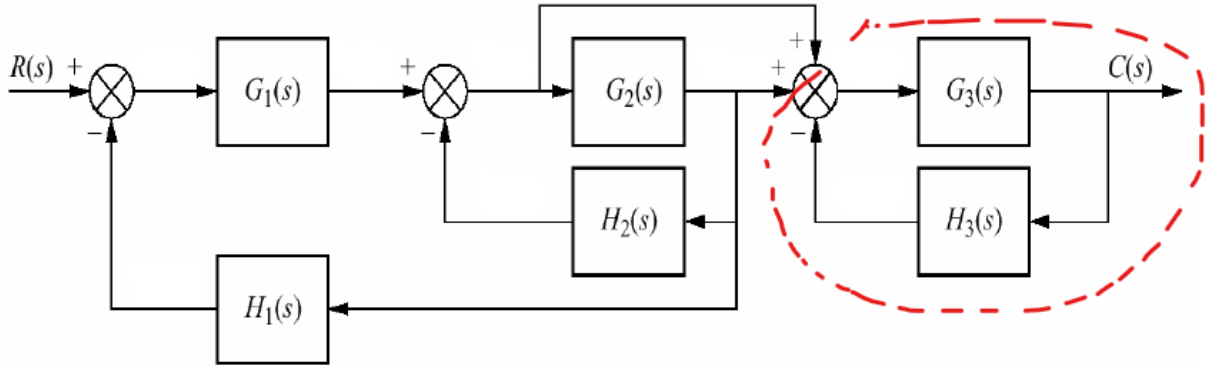
Not: işaretin değiştiğine dikkat edin!

Örnek 1:

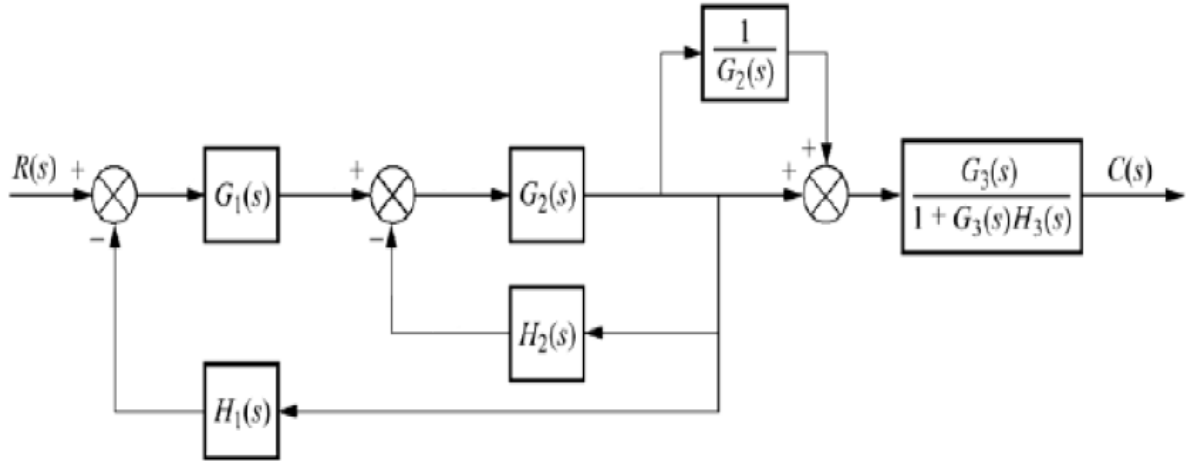


$$R(s) \rightarrow \frac{G_3(s)G_2(s)G_1(s)}{1 + G_3(s)G_2(s)[H_1(s) - H_2(s) + H_3(s)]} C(s)$$

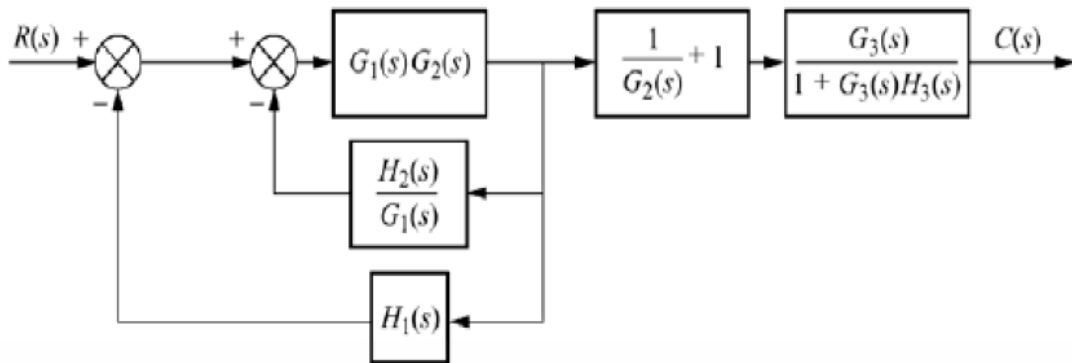
Örnek 2:



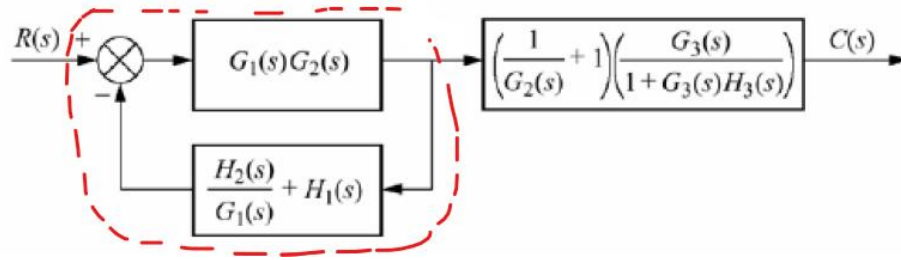
Adım 1: olarak kırmızı ile işaretli kısmı tipik bir geri besleme olarak düşünüp doğrudan yazabiliriz. G_2 üzerindeki boş hattı da G_2 ye gölüp sağına alabiliriz.



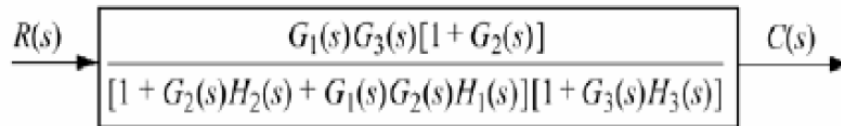
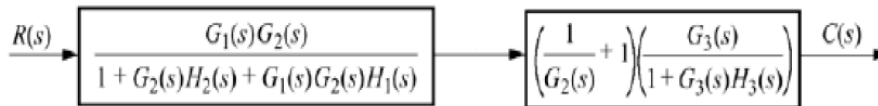
Adım 2: $1/G_2$ ifadesini toplama işaretini kaldırarak sağa ekleyebiliriz. Ders notunun üst kısmındaki denklik ifadelerine bakarak H_2 ifadesini o denk ifadelerine bakarak G_1 ifadesinin soluna aktarabiliriz.



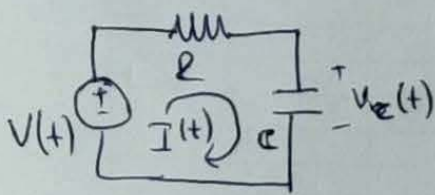
Adım 3: Bir önceki örnekteki gibi H_2/G_1 ile H_1 ifadesini birleştirebiliriz.



Adım 4: Kırmızı ile işaretli kısım geri beslemeli bir ifade yukarıdaki örneğe bakarak sadeleştirebiliriz.



Örnek 3: RC Devre Örneği



$$i(t) = C \cdot \frac{dV_c}{dt}$$

$$V(t) = V_R(t) + V_C(t) \\ = i(t) \cdot R + V_C(t)$$

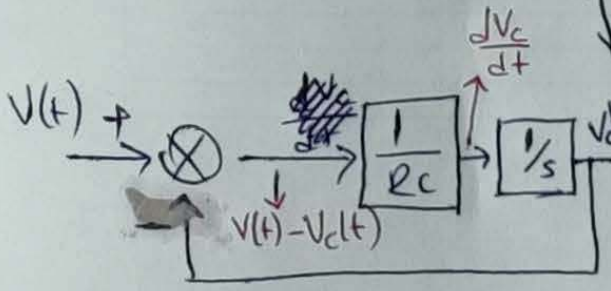
$$V(t) = R \cdot C \cdot \frac{dV_c}{dt} + V_C(t)$$

Diferansiyel ifadesini yalnızca birleştirelim.

$$\frac{dV_c}{dt} = \frac{V(t) - V_C(t)}{RC}$$

direkt olarak dif ifadesi 2 taraf

çarpılarak toplanması ile düzenlenir.



Biri + diğeri - işaretli.

Böyle bir blok için V(t) olduğundan

V(t) sinyali giriş olarak veriyoruz.

Yandaki sistemde LİNMİZİB.

Sinyalleri ifade etmektedir.